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## Configruration spaces and mapping spaces

Abstract: We consider configuration spaces  $C(M, M_0; X)$  of distinct points in an m-manifold M modulo a closed submanufold  $M_0$  with labels in a space X. There is a map  $\gamma: C(M, M_0; X) \to \operatorname{Sect}(W - M_0, W - M; S^m X)$  to the space of relative section of the bundle with fibre  $S^m X$  assiciated to the tangent bundle of an m-manifold W containing M. An older result says this  $\gamma$  is a homotopy equivalence if  $(M, M_0$  or if X is connected. This result includes mapping spaces like  $\Omega^m S^m X$  or the space of maps from a complex  $K \subset \mathbb{R}^m$  to  $S^m X$ . We also discuss stable splittings and some generalizations.